



Self-Localizing Sensor Network Architectures

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Outline

- Introduction
- System
- One-master architecture
- Three-master architecture
- Simulation and Results
- Discussion
- Reference



Introduction

- As technology advances, applications of sensor and monitoring networks are ample: inventory, smart home, warehouse inventory...etc
- As the number of sensors increases, it becomes more difficult to **configure and locate** them in space; moreover, the fault probability increases and power saving becomes more and more important.



Introduction

- To locate a node
 - 1.) simple triangulation
 - (1) RSS (received signal strength)
 - (2) AOA (angle of arrival of a signal)
 - (3) TDOA (time distance of arrival)
 - 2.) some sensors with known location
 - 3.) GPS



Introduction

- To configure and communicate in a distributed sensor network
- Two architectures, **one-master** and **three-master, which** are discussed
- They are both fault tolerant and suitable for large number of sensors

Introduction

- Sensors are considered
 - 1.)to communicate with each other
 - 2.)can change position
 - 3.)are subject to failure

are supposed to be exactly identical and undistinguishable except for location in space

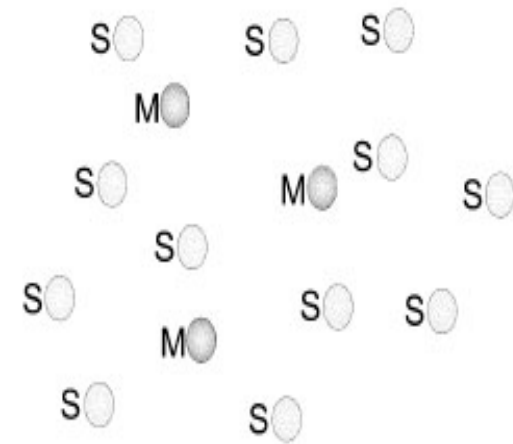


Fig. 1. Network topology. S: Sensor. M: Master.



System

- Distance Measurement

The correlation between power of transmitted and received signals can be derived from the Friis transmission formula

$$\frac{P_r}{P_t} = \frac{A_{er} A_{et}}{r^2 \lambda^2} \quad (1)$$



System

P_r received power, [W];

P_t transmitted power, [W];

A_{er} effective aperture of receiving antenna, [m^2];

A_{et} effective aperture of transmitting antenna, [m^2];

r distance between receiving and transmitting antennas,
[m];

λ wavelength, [m].



System

- If the transmitter employs an isotropic source, (1) becomes

$$P_r = \frac{P_t A_{er}}{4\pi r^2}. \quad (2)$$

- All constant parameters can be grouped into a constant

$$P_r = P_t \cdot K \cdot r^{-2}. \quad (3)$$



One-master Architectures

- This architecture employs four different operations to locate and activate all the sensors of the network.
 - A) single sensor identification
 - B) imprecise sensor location map definition
 - C) sensor location map refinement
 - D) optimal communication path calculation between a sensor and the master.



single sensor identification

- 1) Identification of Sons(to assign ID)
- 2) Identification of Parents(for position)
- 3) Neighbor Identification
(for communication and map refinement)

time spent is proportional to

$$\text{NUM}_{\text{sensors}} \cdot (S + P + N). \quad (4)$$



Imprecise Sensor Location Map Definition

- CC has received all information. It must translate all integer power measurement in a floating-point distance
- Then, a constellation map is created with the information about parents of each sensor by triangulation method



sensor location map refinement

- mass center of neighbors of each sensors is used to update the sensors' position
- Ex.

sensor location map refinement

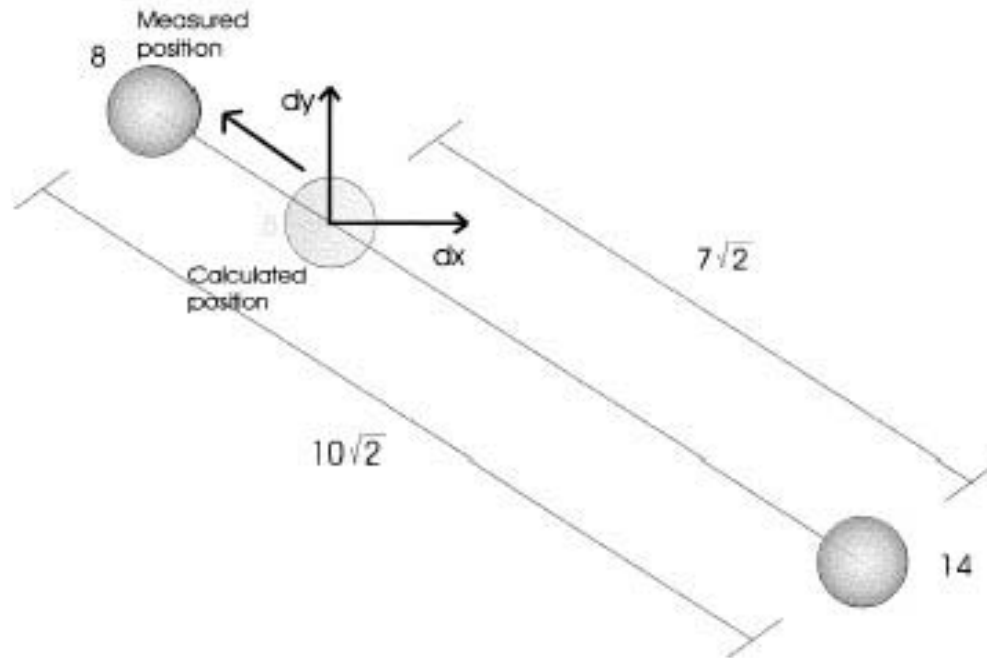


Fig. 2. Coordinate optimization.

$$x_8 = 3, \quad y_8 = 7, \quad x_{14} = 10, \quad y_{14} = 0.$$

sensor location map refinement

- The position of sensor8 measured by sensor 14 is

$$x_8^1 = 0, \quad y_8^1 = 10, \quad dx = -3, \quad dy = 3.$$

- By the method, the new location of sensor 8 is given by

$$x_8 = \frac{\sum_{i=1}^N x_8^i}{N}, \quad y_8 = \frac{\sum_{i=1}^N y_8^i}{N}. \quad (5)$$



optimal communication path

- CC has all information that can communicate with each of sensors through the master
- The next step is making communication efficient.
- Ex.

optimal communication path

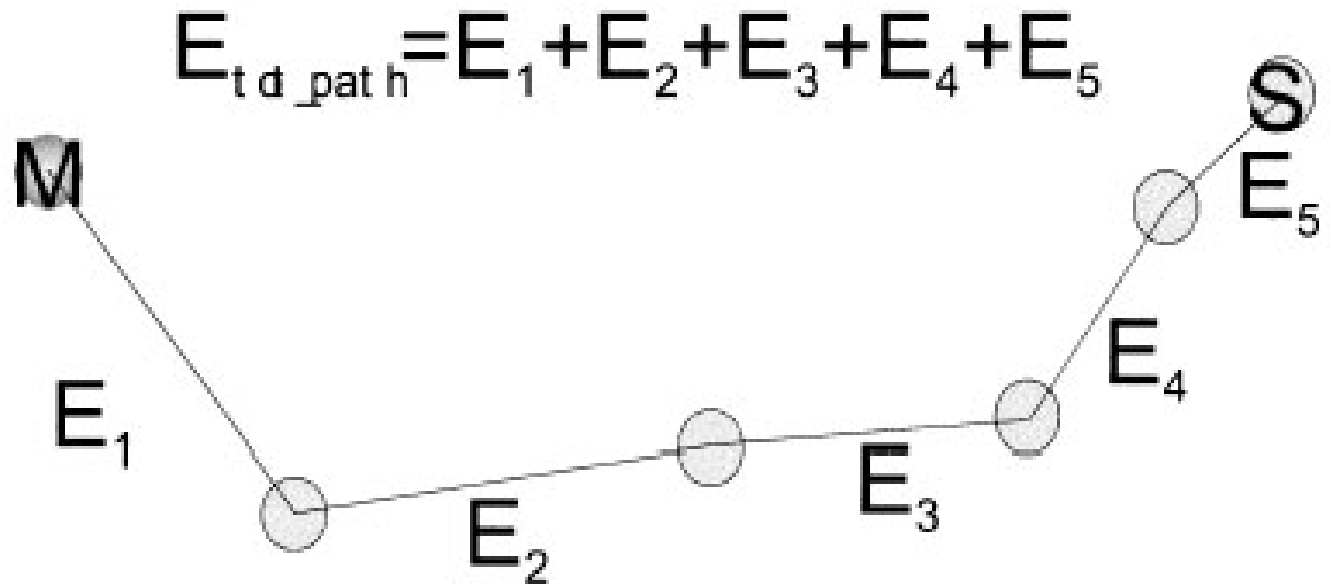
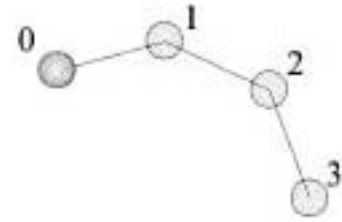
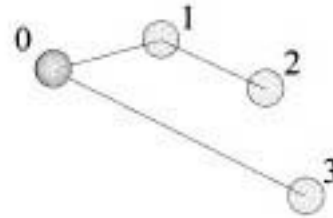
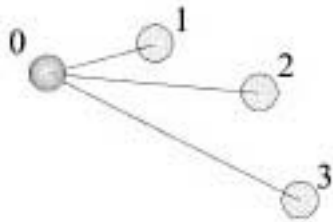


Fig. 3. Energy computation over a path.

optimal communication path





3-master architecture

- it is not necessary to identify the individual sensors
- when a sensor transmits data to the masters it is located by triangulation.
- the accuracy and precision of the power measurement is important



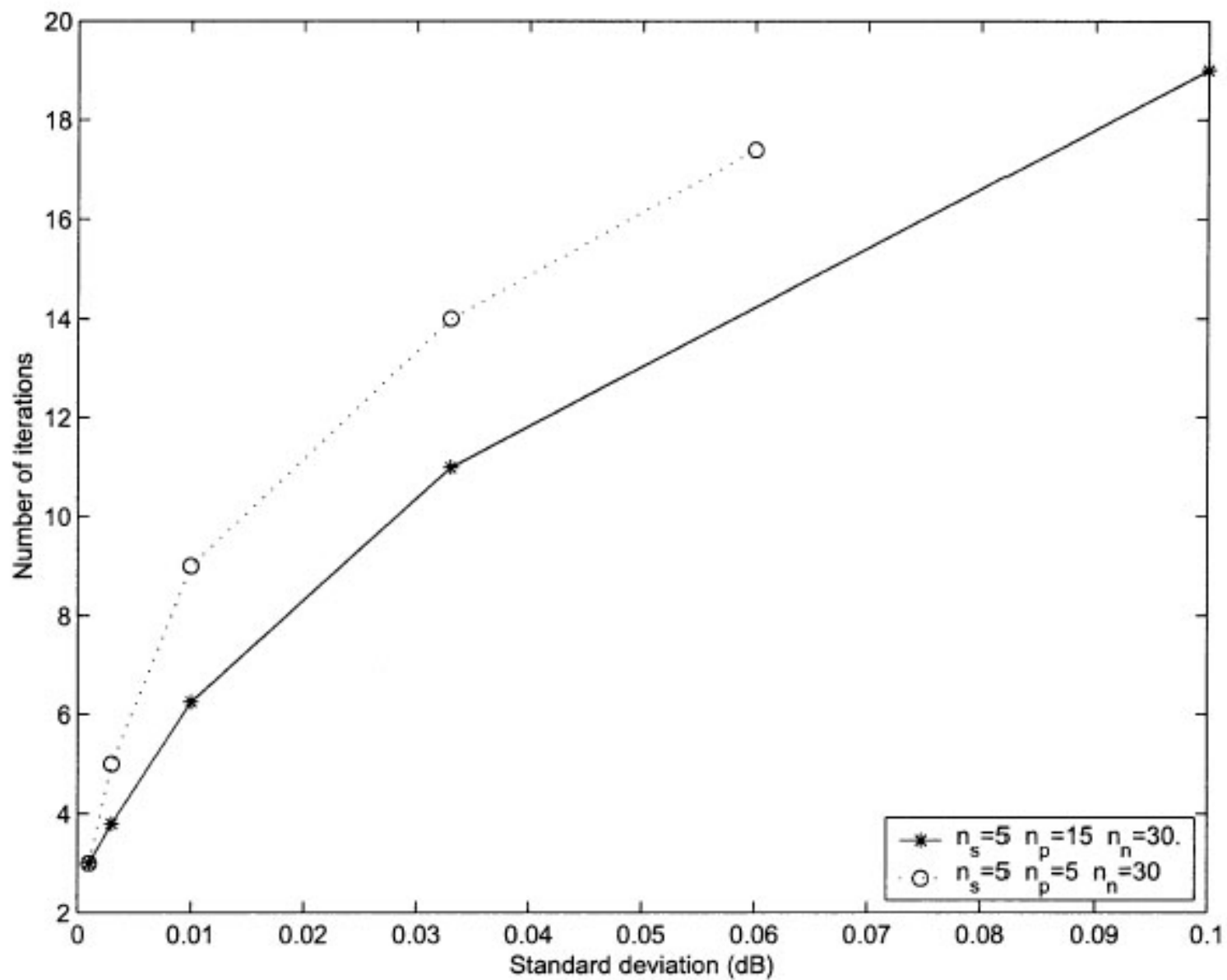
3-master architecture

- simpler operations in the three-master
 - 1) Masters do not need to collect data
 - 2) Sensors do not do complicated calculation



Simulation and Results

- 1-master
- Condition: 50 sensors, 300X300 unit area
30 bit frame data
 - 1) $P=15$ $N=30$ and $S=5$;
 - 2) $P=5$ $N=30$ and $S=5$.

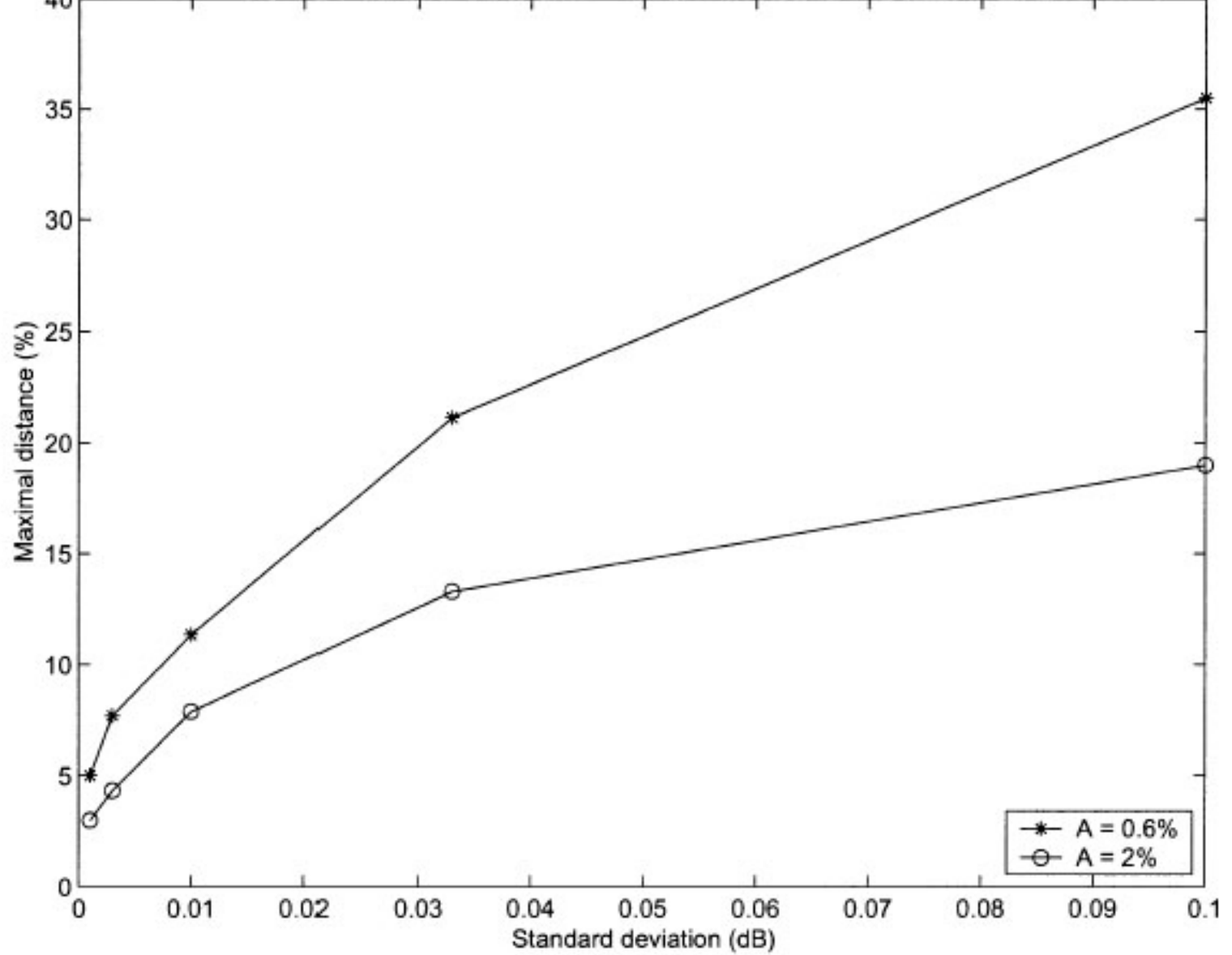


5. Convergence of the refinement map algorithm



Simulation and Results

- 3-master
- The system is simulated when the area of the triangle is the 0.6% and the 2% of the total area considered.



6. Uncertainty of the sensors positioning in a three-master architecture.



Simulation and Results

- uncertainty in the 3-master is bigger than in the 1-master architecture and can be reduced increasing the distance between masters.



Conculsion and Discussion

- **configuration and communication** in two different sensor network architectures, were presented.
- one master
 - 1.it's possible to identify every node
 - 2.to locate all sensor in space
 - 3.finding lowest energy transmission path to reach the master



Conculsion and Discussion

- three master
 - 1.to locate by triangulation and when a transmission occurs
 - 2.can't optimize energy consumption during communication
 - 3.can localize moving sensor and dynamically changing sensor topologies



Conculsion and Discussion

- **3-master**

→ faster, flexible, expensive, energy wasting (about 30 times)

- **1-master**

→ less expensive, less power



Reference

- [1] J. Beutel, “***Geolocation in a PicoRadio Environment***,” Ph.D. dissertation, Dept. Elect. Eng., ETH Zürich, Switzerland, and Dept. Elect. Eng. Comp. Sci, Univ. California, Berkeley, 2000.
- [2] A. Lim, “***Distributed Sensor Networks for Real-Time Systems With Adaptive Reconfiguration***,” *J. Franklin Inst.*, 2001.
- [3] D. D. Patel, “***Energy in Ad-Hoc Networking for the PicoRadio***,” M.S. thesis, Dept. Elect. Eng. Comp. Sci, Univ. California, Berkeley, 2000.



Reference

- [4] D. Kraus and A. Fleisch, *Electromagnetics with Applications*. New York: McGraw-Hill, 1999.
- [5] J. B. Andersen, T. S. Rappaport, and S. Yoshida, “***Propagation measurement and models for wireless communications channels,***” *IEEE Commun. Mag.*, vol. 33, pp. 42–49, Jan. 1995.