



Comparative Study of Routing
Metrics for Multi-Radio Multi-
Channel Wireless Networks

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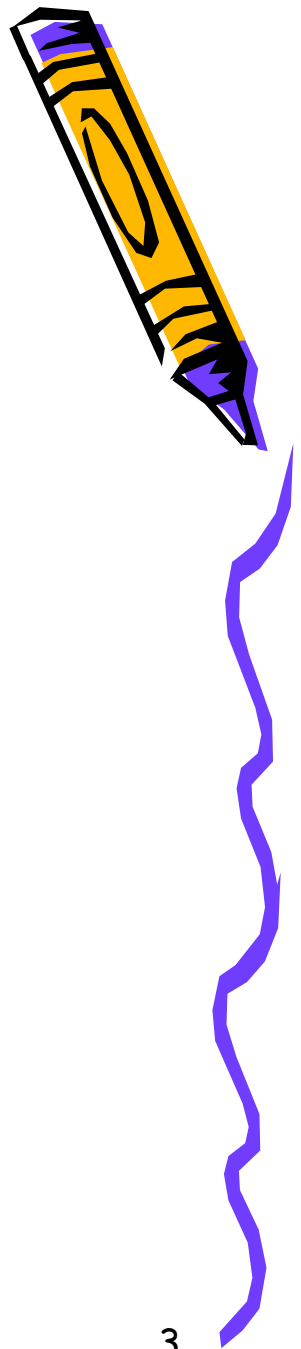
Outline

- Introduction
- Related Works
- AETD : The Proposed Routing Metric
- Performance Evaluation
- Conclusion

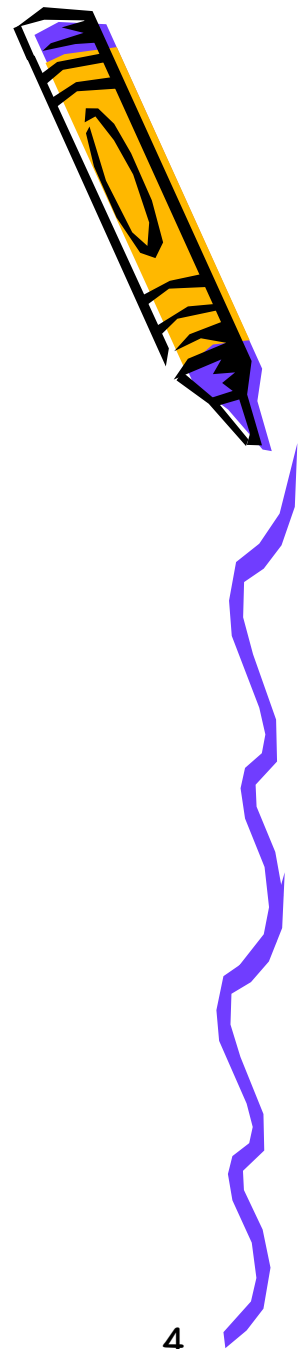


Introduction

- IEEE 802.11 system often suffers **low channel utilization** and **poor system throughput**.
- Recently, the **multi-radio multi-channel network architecture** has been recognized to improve performance.

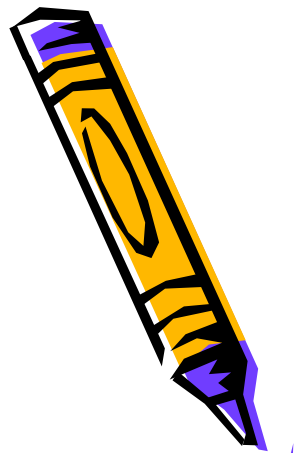


- Challenges in multi-radio multi-channel network architecture:
 - channel assignment
 - channel utilization
 - **high-throughput routing**
- This paper focuses on routing problem.



Related Works

- To find a better path:
 - hop-count routing metric (HOP)
 - cumulative expected transmission count (ETX) : link-quality factor
 - cumulative ETT (CETT) : transmission rate
 - WCETT : channel diversity



Computing ETX

$$p = 1 - (1 - p_f) * (1 - p_r)$$

$$s(k) = p^{k-1} * (1 - p)$$

$$ETX = \sum_{k=1}^{\infty} k * s(k) = \frac{1}{1 - p}$$

p: probability of transmission failure

pf: forward pr:reverse

S(k): probability of transmission successful with k times

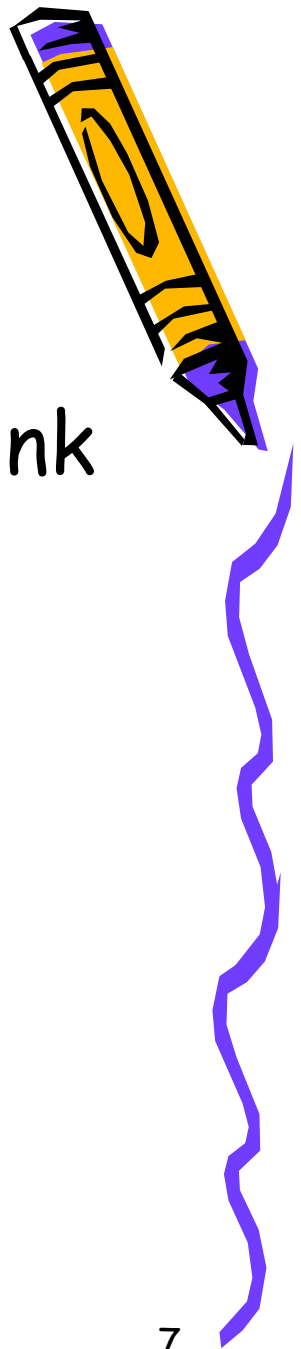
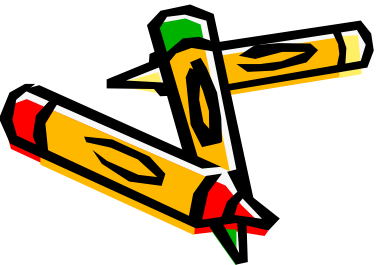


Computing ETT

- The authors define the ETT of a link as a “bandwidth-adjusted ETX”

$$ETT = ETX * \frac{S}{B}$$

S: packet size
B: bandwidth



WCETT

- Consider the impact of channel diversity

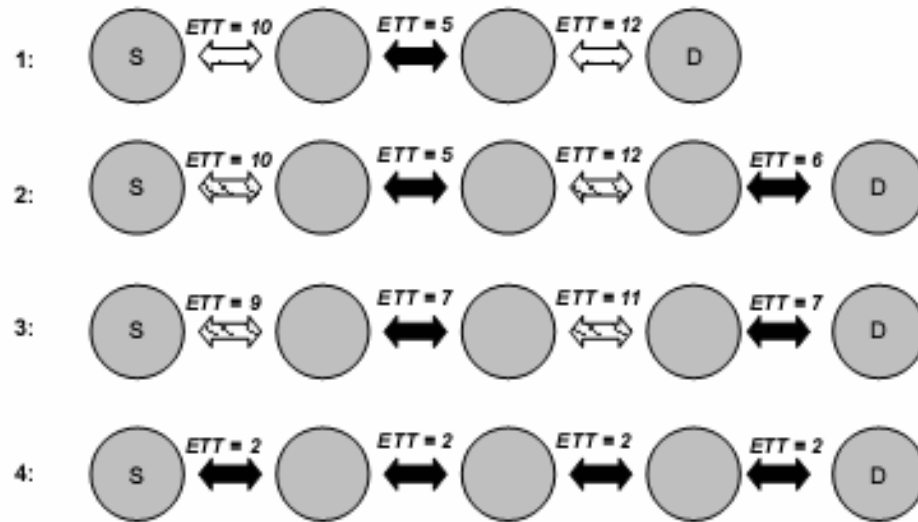
$$X_j = \sum_{\text{Hop } i \text{ is on channel } j} \text{ETT}_i \quad 1 \leq j \leq k$$

$$\text{WCETT} = (1 - \beta) * \sum_{i=1}^n \text{ETT}_i + \beta * \max_{1 \leq j \leq k} X_j$$



WCETT (cont.)

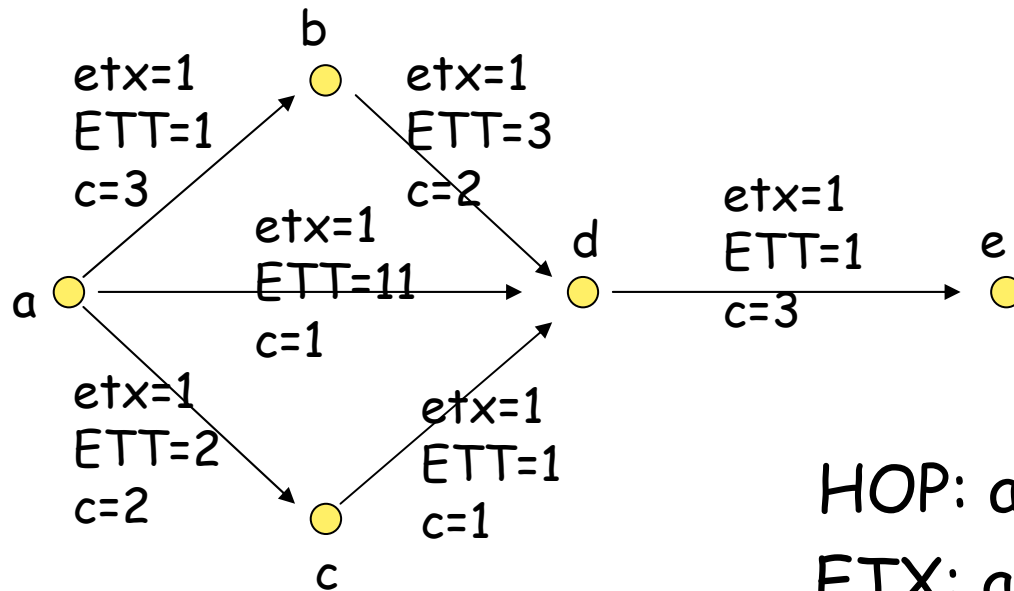
- Impact of β



Path	Sum	Max	WCETT ($\beta = 0.9$)	WCETT ($\beta = 0.1$)
1	27	22	22.5	26.5
2	33	22	23.1	31.9
3	34	20	21.4	32.6
4	8	8	8	8



Example



Source: a
Destination: e

HOP: a → d → e

ETX: a → d → e

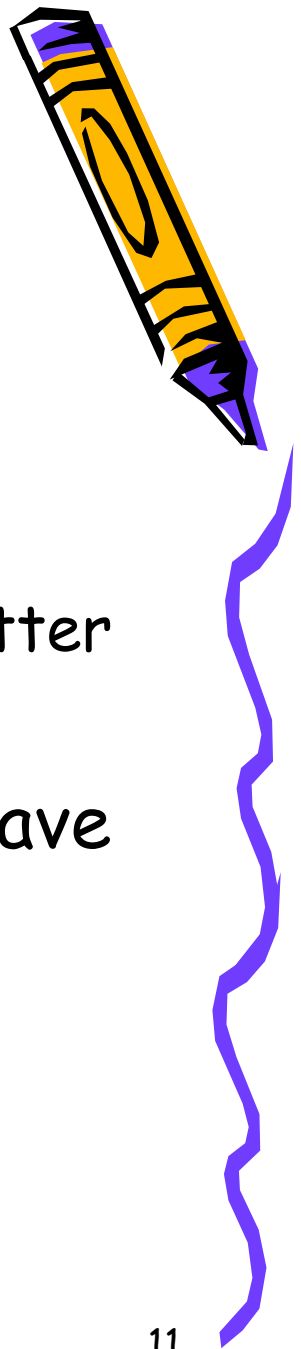
CETT: a → c → d → e

WCETT: a → b → d → e



The Proposed Routing Metric

- The authors bring up two new metrics:
 - ETD: Expected end-to-end transfer delay
 - EDJ: The lower bound of expected delay jitter
- The authors think an ideal route shall have a small ETD as well as a small EDJ.



Computing ETD and EDJ

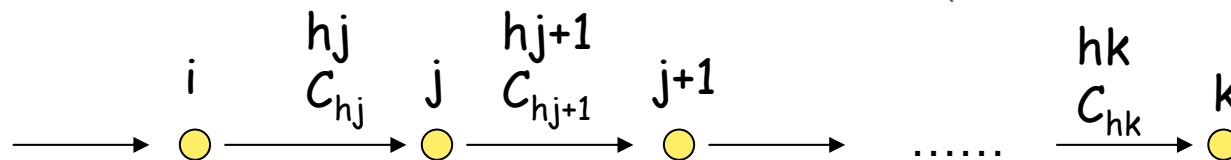


$$ETD_r = \sum_{h_i \in \mathcal{H}_r} ETT_{h_i}.$$

m : interference distance

$$EDJ_{r(i)} = \begin{cases} ETT_{h_k} & \text{if } i = k - 1, \\ ETT_{h_{i+1}} + EDJ_{r(i+1)} & \text{if } \exists i + 1 < j \leq \min \{i + m + 1, k\} \\ & \text{such that } C_{h_{i+1}} = C_{h_j}, \\ \max \{ ETT_{h_{i+1}}, EDJ_{r(i+1)} \} & \text{else,} \end{cases}$$

(4)



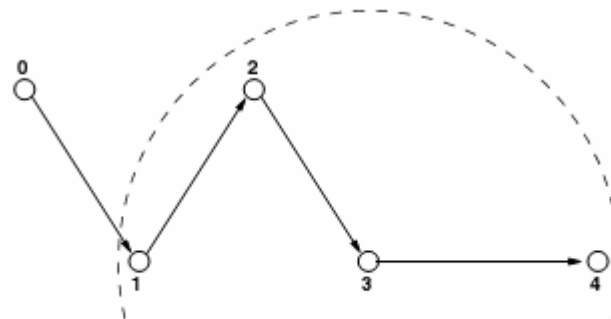


AETD (adjusted expected transfer delay)

- Algorithm

$$\text{AETD} = (1 - \alpha) \times \text{ETD} + \alpha \times \text{EDJ}$$

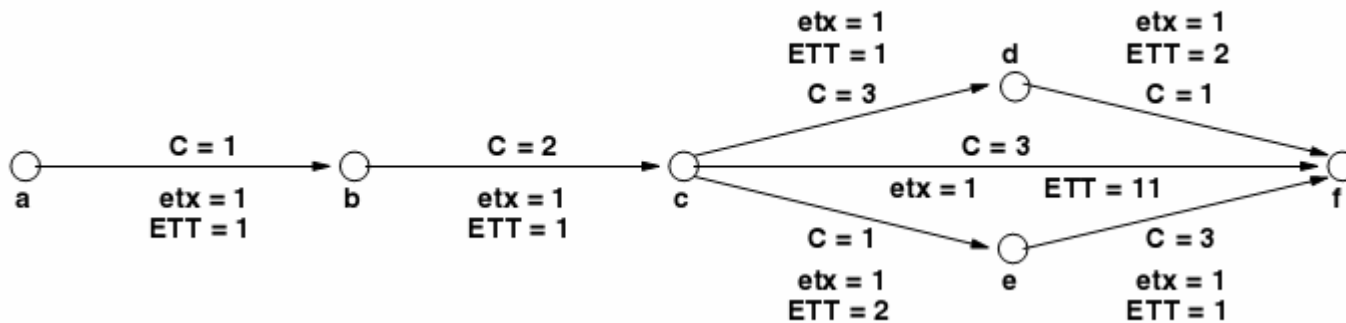
- Different from WCETT
 - consider the following circumstance



(b) a zigzag route



Example



available routes	routing metrics			
	HOP	ETX	WCETT	AETD
[a-b-c-f]	3	3	$(1 - \beta) \cdot 13 + \beta \cdot 11$	$(1 - \alpha) \cdot 13 + \alpha \cdot 11$
[a-b-c-d-f]	4	4	$(1 - \beta) \cdot 5 + \beta \cdot 3$	$(1 - \alpha) \cdot 5 + \alpha \cdot 2$
[a-b-c-e-f]	4	4	$(1 - \beta) \cdot 5 + \beta \cdot 3$	$(1 - \alpha) \cdot 5 + \alpha \cdot 3$
route selection	[a-b-c-f]	[a-b-c-f]	[a-b-c-d-f] or [a-b-c-e-f]	[a-b-c-d-f]

Performance Evaluation

- Using QualNet simulator
- Impact of α
 - 2km*2km
 - 200nodes/km²

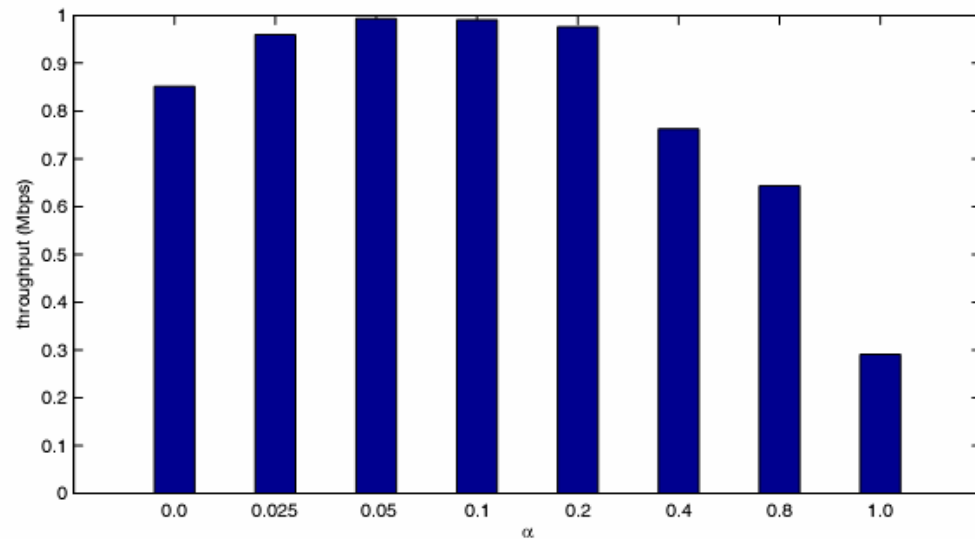


Fig. 4. Comparison of AETD with various α



Network Density & Network Size

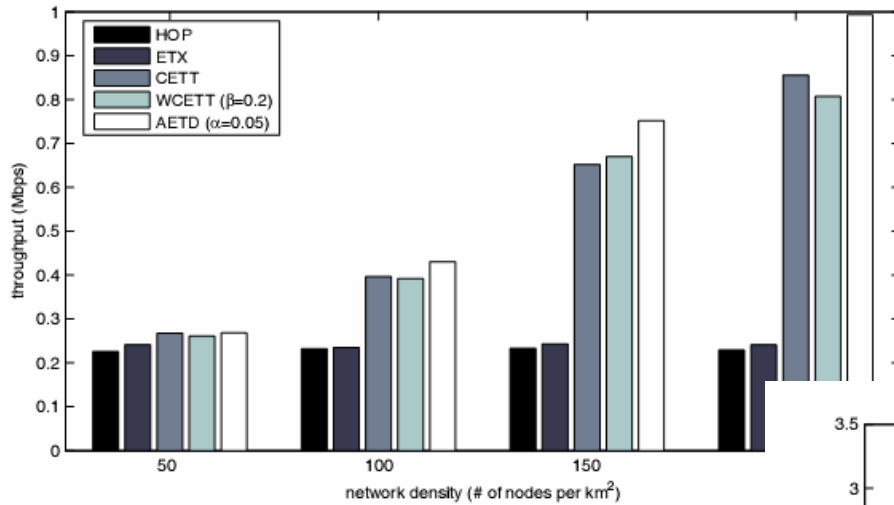


Fig. 5. Throughput comparison with various node c

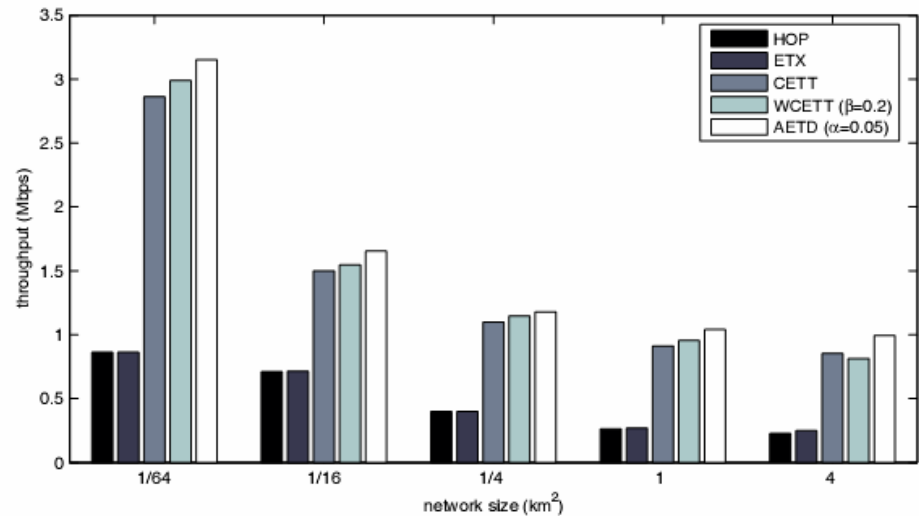


Fig. 6. Throughput comparison with various network sizes



Number of Available Channels

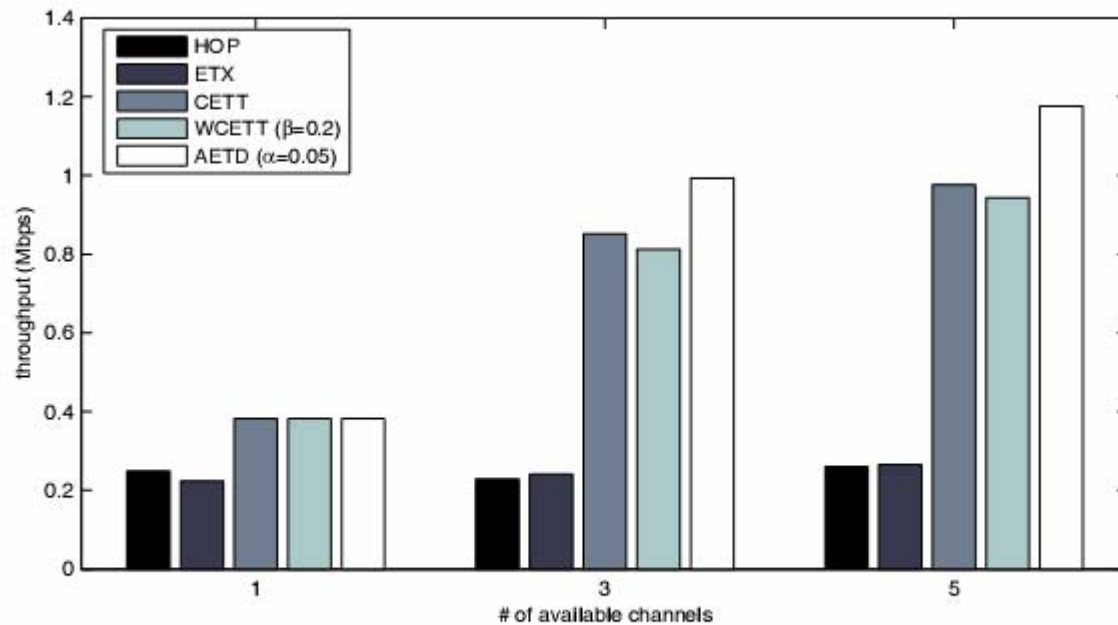


Fig. 7. Throughput comparison with various numbers of available channels



Conclusion

- A new AETD routing metric is proposed.
- The simulation results suggest the EDJ is a good indicator of channel-diversity level.
- The authors compare these methods finally.

