Designing Multihop Wireless Backhaul Networks with Delay Guarantees INFOCOM 2006

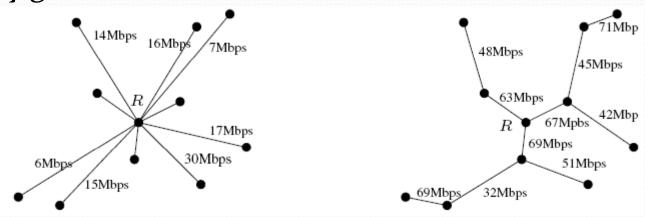
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Outline

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- Network Model
- A Generalized Link Activation Framework
- Routing
- Simulation Results
- Conclusions

Introduction

- With the technical improvements and standardization of long-haul, non-line-of-sight (NLOS) wireless technologies such as WiMAX, wireless backhaul is fast becoming a cost effective alternative to wired technologies.
- However, several challenges remain in allowing multihop wireless backhaul networks to match the throughput and delay guarantees of wired backhauls.



Network Model

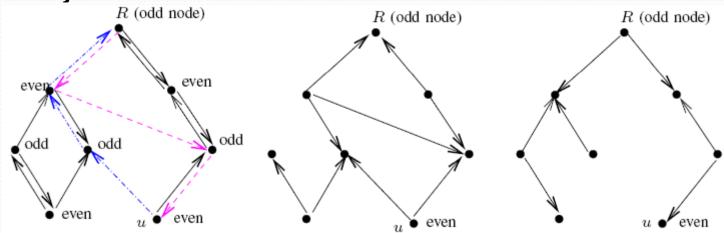
- Physical layer
 - WiMAX standard
- Interference Model
 - separate links in the backhaul may interfere with each other
- The Backhaul Design Problem
 - self-interference
 - cross-link interference

A Generalized Link Activation Framework

- The goal of link activation framework is to enable local scheduling of packets such that interference is avoided.
 - Even-Odd Link Activation
- Then describe conditions for admissible traffic that ensure that the backhaul network is not overloaded.
 - Admissible Traffic and Subchannel Assignment

Even-Odd Link Activation

- Each node has been labeled as either an even or an odd node.
 - This labeling is performed by the routing phase.
- The Even-Odd scheduling framework uses a simple link activation scheme: each directed link is active every alternate timeslot.



Admissible Traffic and Subchannel Assignment

node constraint

$$\begin{cases} \sum_{e \in E_{in}(v)} w(e) & \leq 1 \\ \sum_{e \in E_{out}(v)} w(e) & \leq 1. \end{cases} \forall v \in V$$

Link constraint

$$F(e) \leq C(e) \cdot w(e)/2 \quad \forall e \in E$$

• the connections are *admissible* in the Even-Odd scheduling framework if

$$\begin{cases} \sum_{e \in E_{in}(v)} \frac{F(e)}{C(e)} \leq 1/2 \\ \sum_{e \in E_{out}(v)} \frac{F(e)}{C(e)} \leq 1/2. \end{cases} \forall v \in V.$$

Routing

- ILP Formulation
 - PathsOpt ILP
- Heuristics
 - Modified Dijkstra's algorithm
 - MinMax+SP
 - MinMax

PathOpt ILP

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Maximize \alpha;
Subject to:
           For w \in V, i \in \Omega,
 (i)
                \sum_{v \in V} (F_i(v, w) - F_i(w, v)) =
\begin{cases}
-\alpha f_i & \text{if } w = s(i) \\
\alpha f_i & \text{if } w = t(i)
\end{cases}
                                    if w \neq s(i), t(i)
           For e \in E, i \in \Omega, x_i(e) < x(e)
 (ii)
           For e \in E, i \in \Omega, F_i(e) \le x_i(e) \cdot C(e)
 (iii)
           For v, w \in V, x(v, w) + \pi(v) + \pi(w)
 (iv)
           For v, w \in V, \pi(v) + \pi(w) \ge x(v, w)
 (v)
 (vi)
           For ((u_1, v_1), (u_2, v_2)) \in \mathcal{I},
 (vii)
               \pi(u_1) + \pi(u_2) \ge x(u_1, v_1) + x(u_2, v_2) - 1
 (viii) For ((u_1, v_1), (u_2, v_2)) \in \mathcal{I},
               \pi(u_1) + \pi(u_2) \le 3 - x(u_1, v_1) - x(u_2, v_2)
           For v \in V, \sum \frac{F_i(e)}{C(e)} \leq \frac{1}{2}
 (ix)
                              e \in E_{in}(v), i \in \Omega
           For v \in V, \sum \frac{F_i(e)}{C(e)} \leq \frac{1}{2}
 (x)
                               e \in E_{out}(v), i \in \Omega
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the standard conservation of flow constraints for each connection
guarantees that x(e) = i if link e is selected for at least one connection
guarantees that the bit rate of connection i on links that are not selected for i is o
guarantee that selected links are between nodes with different parities
guarantees that each connection remains on a single path
ensure that any pair of interfering links that are both selected must be assigned different
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ensure that the admissibility conditions are

parities

satisfied

Modified Dijkstra's algorithm

- Dijkstra's algorithm iteratively constructs a shortest path tree from the root *R*.
- At any stage of the algorithm there is a partial tree *T'* and we find the shortest edge from *T'* to some node not in *T'*.
 - directed versions of the edge will not interfere with any directed version of any edge already in T'
 - use 1/*C*(*e*) as the distance along link *e*

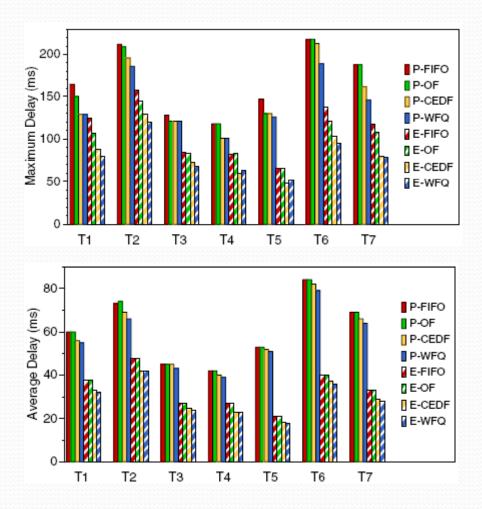
MinMax+SP

- Order the nodes by increasing length of their shortest path to *R*.
- Then for each node *v* in order do the following.
 - Route the connection from *v* to *R* along the path whose resulting maximum node load is minimum among all possible paths.
 - Update the node loads accordingly.

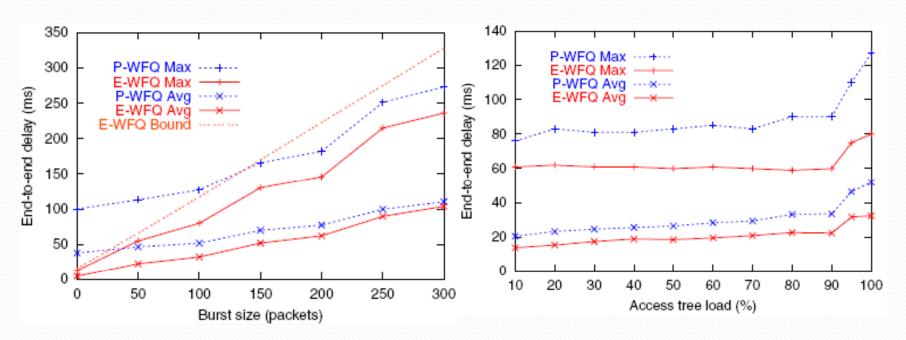
MinMax

- similar to the first except
- The order in which connections are routed is not fixed from the start.

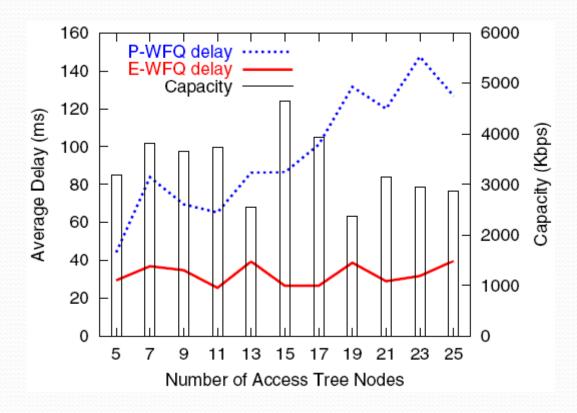
Simulation Results



Simulation Results



Simulation Results



Conclusions

- The authors provide a simple yet generalized link activation framework, which we call the Even-Odd framework, for scheduling packets over this wireless backhaul.
- And present an optimal formulation as well as heuristic approaches to constructing efficient backhaul routes.