

QoS Control for Sensor Networks

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Introduction

- Study of QoS in sensor networks
 - QoS def. in this paper: *sensor network resolution*
 - Ideas
 - Use Gur Game, a mathematical paradigm
 - BS communicates QoS info. to sensors using broadcast channels
 - Result: BS dynamically adjust the number of sensors being activated
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Problem Statement

- QoS = sensor network resolution = optimal # of active sensors
 - Goals:
 - Maximize life time of sensors by turning off sensors
 - Have enough sensors active and report data
 - Use Gur game control theory [13]
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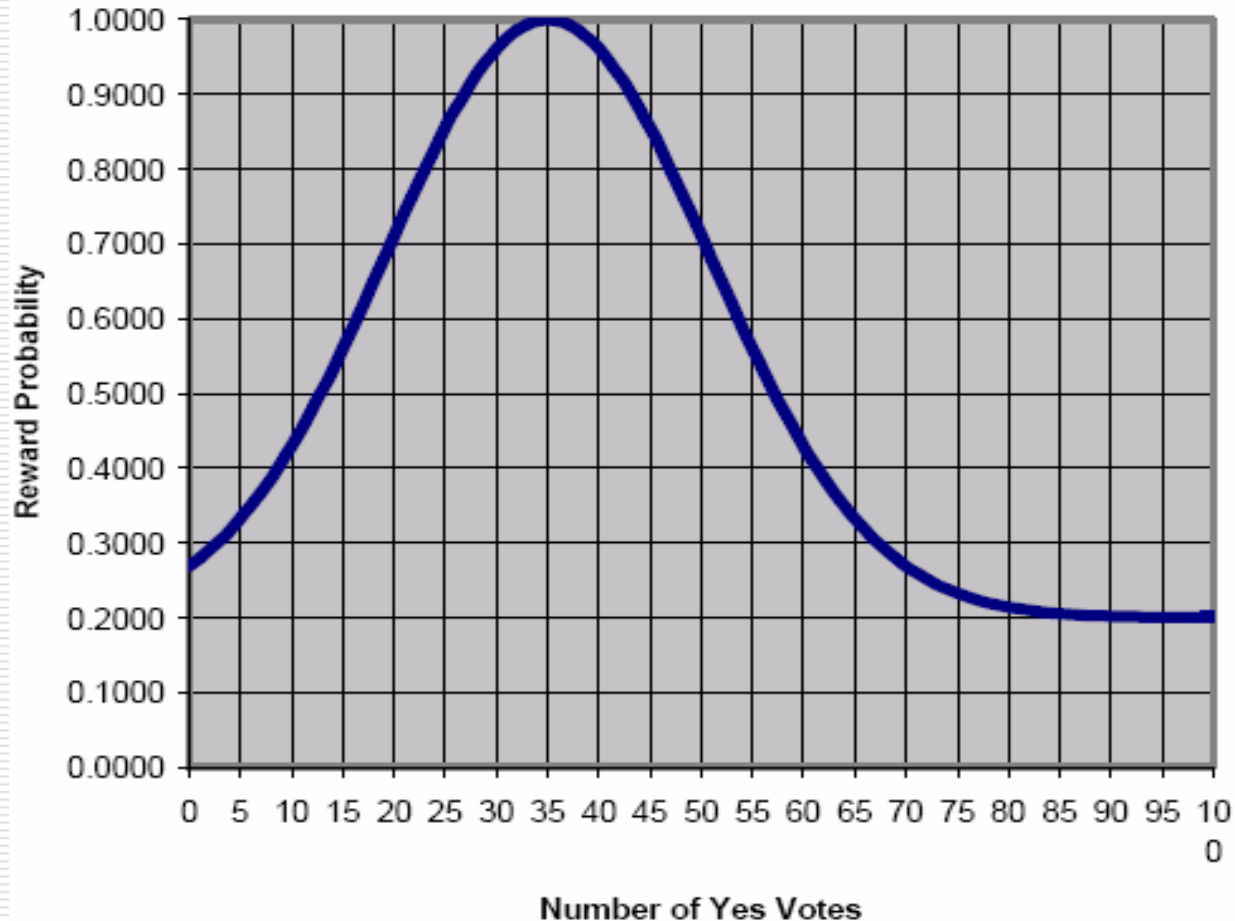
Gur Game

- There are n players (**sensors**), none of whom are aware of others
 - There's a referee (**BS**) who periodically polls for simplified information from each player
 - The referee asks each player to vote “yes” (**power-up**) or “no” (**power-off**) and he counts up each response (**# of packets received from active sensors = # of active sensors**)
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Gur Game (cont'd)

- A reward probability $r = r(k)$ is generated, k is the # of players who voted “yes”
 - A player is then rewarded (probability r) or penalized (probability $1-r$) independently of their vote
 - Gur property: K^* of players vote yes, K^* is the max value of function of $r(k)$
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Typical Reward Function



Gur game with memory

- How to achieve Gur property: by trial and error
- The player votes *yes* when he is in a positive numbered state, and *no* when he is in a negative numbered state
- “center seeking” behavior is for punishment, and “edge seeking” behavior is for reward.

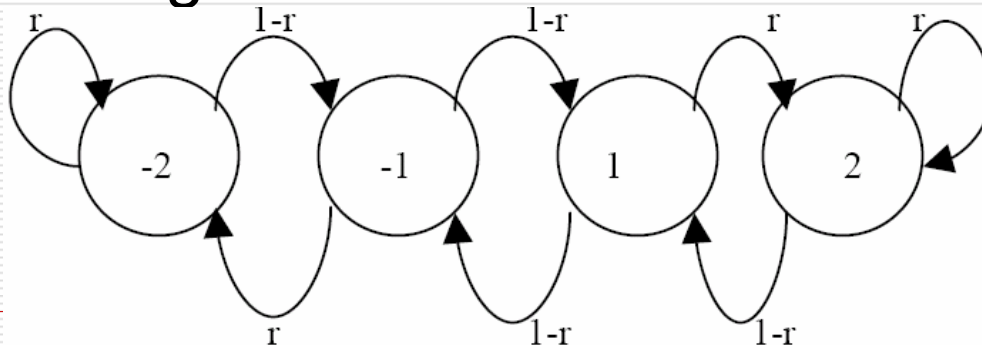


Figure 2. Gur Memory of Size $N=2$.

Assumptions

- One BS + n sensors
 - BS polls sensors once a second
 - Each sensor S_i is a distance d_i from BS
 - mean that a packet is sent reliably from S_i to BS and takes d_i seconds to reach BS
 - BS have a broadcast channel to all the sensors
 - BS receives k packets at time t means that approximately k sensors are powered-on at time t
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Results

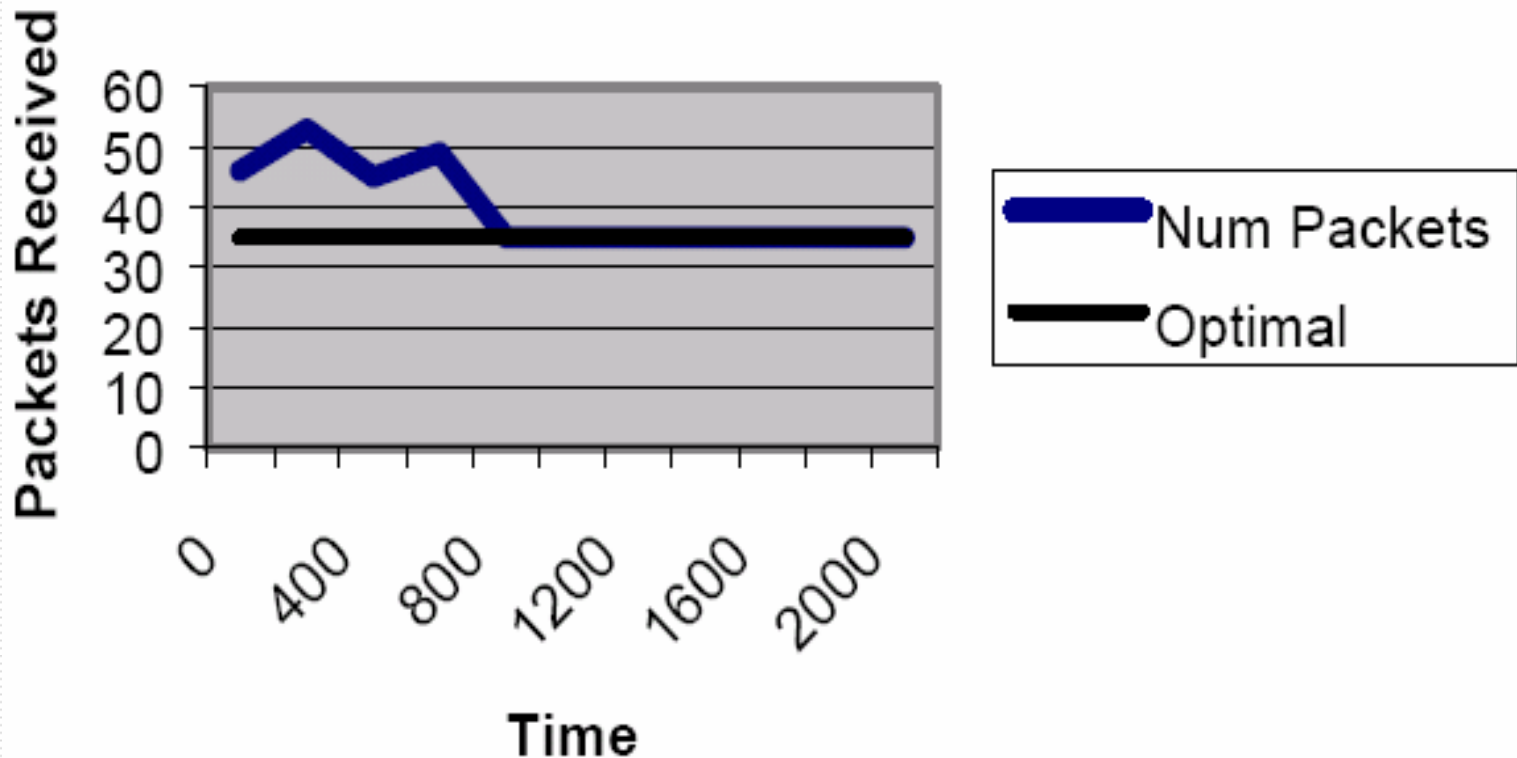
- Will reach an equilibrium, K^* sensors keep active until they use up all power
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Simulation (simple case)

- ❑ Assume memory size $N = 1$
 - ❑ 100 sensors as well as a BS
 - ❑ No sensor failures or renewals
 - ❑ Each sensor picks a random state as its initial state
 - ❑ Assume # of optimum sensors = 35
 - ❑ $d_i = 1$ sec (packet delay)
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Simulation (simple case)

Packets Received vs Time

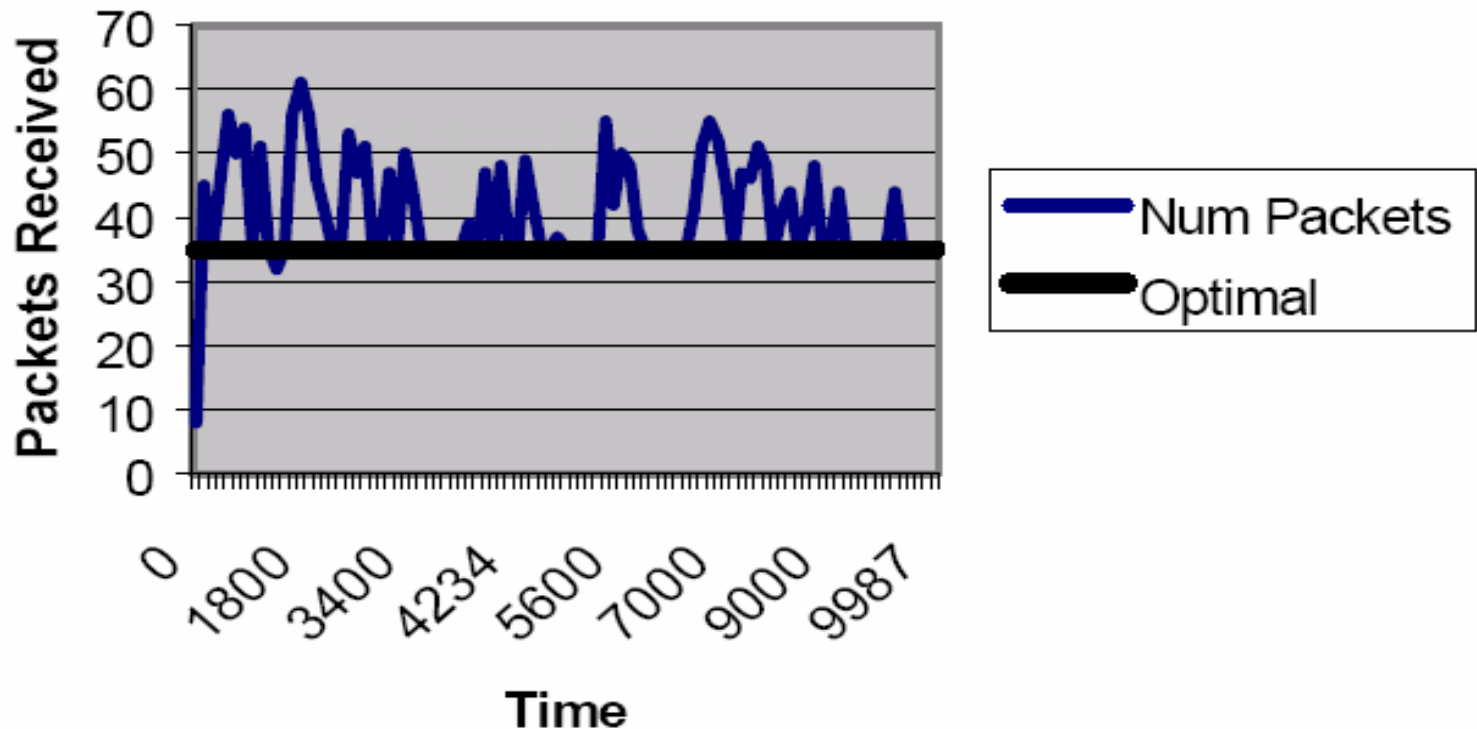


Simulation (realistic case)

- ❑ Allow the birth and death of sensors
 - ❑ d_i is distributed uniformly from 0-5 secs
 - ❑ Other parameters are the same as simple case
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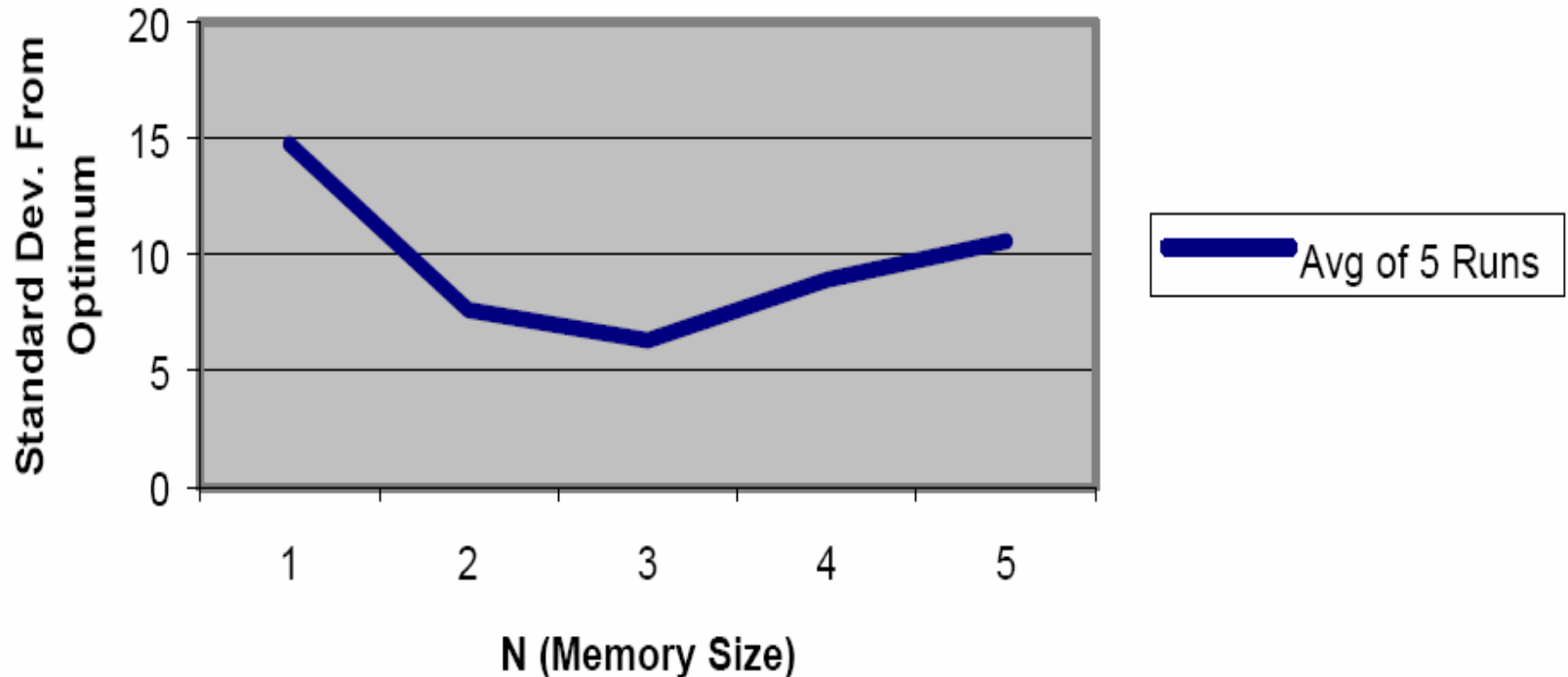
Simulation (realistic case)

Packets Received vs Time



Simulation (memory size)

Standard Deviation vs. N



Discussion

- Apply math on sensor networks? (e.g. OR, Game Theory)
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